KRR: Unit 4 Formative Activities

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Title: Introduction to Logic Programming

Prolog can be used to test the questions included in Unit 2.

For example, to test exercise 1 carry out the following steps.

- Surf to https://swi-prolog.org
- Click on "try swi-prolog online".
- On the SWISH page click on notebook.
- Click on Query.
- In the 'query' box enter "member(c, [a,b,c,2,3,4])".
- Click the go (>) button it should give the answer 'true' (I.e., c is a member of the set).
- How many of the questions in exercise 1 can you check in this way?

1. Given the following sets:

A	=	$\{a, b, c, 2, 3, 4\}$	E	=	$\{a,b,\{c\}\}$
B	=	$\{a,b\}$	F	=	Ø
C	=	$\{c,2\}$	G	=	$\{\{a,b\},\{c,2\}\}$
D	=	$\{b,c\}$			

classify each of the following statements as true or false

(a)	$c \in A$	(g)	$D \subset A$	(m)	$B \subseteq G$
(b)	$c\in F$	(h)	$A\subseteq C$	(n)	$\{B\} \subseteq G$
(c)	$c \in E$	(i)	$D \subseteq E$	(o)	$D \subseteq G$
(d)	$\{c\} \in E$	(j)	$F \subseteq A$	(p)	$\{D\} \subseteq G$
(e)	$\{c\} \in C$	(k)	$E\subseteq F$	(q)	$G \subseteq A$
(f)	$B \subseteq A$	(l)	$B \in G$	(r)	$\{\{c\}\}\subseteq E$

a) T

- b) F c) F
- d) T
- e) F f) T
- g) T
- h) F
- i) F i) T

k) F

- I) T. B is a member of G
- m) F. B is a subset of A, not G
- n) T.
- o) F
- p) F
- q) F
- r) T. The member {c} of set {{c}} is subset of {a,b,{c}}
- a) T member(c, [a,b,c,2,3,4])
- b) F member(c, []).
- c) F member(c, [a,b,[c]]).
- d) T member([c], [a,b,[c]]).
- e) F member([c], [c,2]).
- f) T subset([a,b], [a,b,c,2,3,4]).
- g) ?? proper subset
- h) F subset([a,b,c,2,3,4], [c,2]).
- i) F subset([b,c], [a,b,{c}]).
- j) T subset([], [a,b,c,2,3,4]).
- k) F subset([a,b,[c]], []).
- I) T member([a,b], [[a,b],[c,2]]).
- m) F subset([a,b], [[a,b],[c,2]]).
- n) T subset([[a,b]], [[a,b],[c,2]]).
- o) F subset([b,c], [[a,b],[c,2]]).
- p) F subset([[b,c]], [[a,b],[c,2]]).
- q) F subset([[a,b],[c,2]], [a,b,c,2,3,4]).
- r) T subset([[c]], [a,b,[c]]).

Extra assignment: Code a Proper Subset

As another example, we state the definition of 'proper subset' and giv both formal and informal proofs of a theorem containing this predicate.

$$(7-56) \quad (\forall X, Y)(X \subset Y \leftrightarrow (X \subseteq Y \& X \neq Y))$$

For all x and y, x is a proper subset of y iff ((x is a subset of y) and (x does not equal y))

Trying to code a proper subset in Prolog. Lots of mistakes learning how to.

/* D is a proper subset of A * A = {a,b,c,2,3,4} * D = {b,c} * Use: propersubset([b,c], [a,b,c,2,3,4]). * The result should be true. * Use: propersubset([a,b,c,2,3,4], [a,b,c,2,3,4]). * The result should be false. * Rules of a proper subset: * For all x and y, x is a proper subset of y iff ((x is a subset of y) and (x does not equal y)) */ propersubset(X, Y): write('X: '), write(X), nl, write('Y: '), write(Y), nl, /* Variables are upper case. Remember the comma if not at the end */ % Is it a subset? subset(X, Y), % /* Yep, it is a subset */ % nl, write(subset(X, Y)). /* This doesn't write true, so can't use as a function with a BOOLEAN return */ % Is it not equal? same length(X, Y). /* Not sufficient, only tests length */ % =(X, Y). % /* Assign? This does not mean equality */ [a,b,c,2,3,4] == [a,b,c,2,3,4]. /* Equality test. YES! True! */ % % X == Y. /* Are the two terms equal? What about NOT equal? */ [a,b,c,2,3,4] \== [a,b,c,2,3,4]. /* This returns False! */ % % /* Are two terms not equal */ X \== Y. % Now AND them together. subset(X, Y) and (X $\models=$ Y). subset(X, Y)* (X $\models=$ Y). /* NOPE */ % /* * is a logical AND operator. NOPE that website was wrong.*/ % (subset(X, Y), (X = Y))./* Another website says this is the format for logical AND. BINGO!*/